

No originality is claimed for these amazing similarities, but it is surprising how infrequently they are published.

Impedance, Z , is related to L , C and Q in the following expressions:

$$Z = Q\omega L = Q\omega C^{-1} \quad \dots 1$$

where f is the tuned frequency in Hz and L is the inductance in Henries

$$\text{and } Z = Q\omega C^{-1} = \frac{Q}{2\pi fC} \quad \dots 2$$

C is expressed in Farads.

Q is largely dependent on the core and bobbin materials - together with the DC winding resistance:



$$Q = \frac{R}{\omega L} \quad \dots 3$$

In fact, the analysis is a great deal more detailed, but the formulae given here will be quite sufficient for most of the practical situations that confront the circuit user.

Working on an example from the TORO IF stage, take the L6C4262A. Turns 45:50:50.

$$Q = 180 \quad \text{total turns } 200$$

$$C = 250 \times 10^{-12}$$

so, from (1) above

$$Z = \frac{100}{2\pi \times 455 \times 150 \times 10^{-9}} = 244\Omega$$

(all calculations used here will be rounded off for ease)

First, but most transistor and R_L need to work into much lower impedances than that, so a little transformer duty is necessary to lower Z to the most usual collector load, of say 77 Ω .



Autotransformer tapping

The total tap point impedances are related by

$$\frac{Z_{\text{tap}}}{Z_{\text{in}}} = \left[\frac{N_1}{N_1 + N_2} \right]^2$$

So, using our 77 Ω value for Z_{tap} :

$$\frac{77}{244} = \left[\frac{N_1}{200} \right]^2$$

$$N_1^2 = \frac{288^2 \times 17}{244}$$

$$\text{so } N_1 = 80$$

In fact, TORO use 74 turns, but that isn't going to make a great deal of difference in practice.

The base coupling also requires a lowered impedance, and since it is not really desirable to employ another autotransformer type of tapping, a coupling secondary is used, where the primary and secondary are so tightly coupled, that the basic analysis may be considered identical to that used in the autotransformer case.

In the case of the coil used here, the coupling is used for the detector - in a reasonably high value of 12k is used,

$$\frac{12}{244} = \left[\frac{N_2}{180} \right]^2$$

$$N_2^2 = \frac{288^2 \times 12}{244}$$

thus $N_2 = 44$ turns - and in this instance, the actual value used is 42.

The slight differences that occur are due to certain incidental mismatch conditions, designed to reduce the loaded Q . These considerations will be dealt with in greater detail in the next issue of Technology.

In a perfectly matched system, the gain of an amplifier stage can be calculated from the following:

$$A_v = \frac{V_{\text{out}}}{V_{\text{in}}} = K_{\text{gm}} R_{\text{load}} N_1 N_2$$

where N is the turns ratio $\sqrt{\frac{Z_{\text{out}}}{Z_{\text{in}}}}$

K represents the dB match loss at both input and output
 g_m is the transconductance in mhos (reciprocal ohms)

R_{load} is the load impedance

In the example used so far, the gain of the final IF before the detector would be:

$$= N_{\text{gm}} 177 \times \sqrt{\frac{12}{244}} \times 50$$

with a g_m of 80mhos

$$= 129 \text{ or } 41.5\text{dB}$$

The impedance may also be altered by a damping resistor, a popular means of lowering the Q and thereby stabilising IFs that "take off" due to too much gain. Say to reduce a Q of 180 to Q of 40.

$$\text{then } Z = \frac{100}{\omega \times 150 \times 10^{-9}}$$

$$= 77\Omega$$

so to reduce our example, a parallel resistor is used, where

$$\frac{1}{R_L} = \frac{1}{244\Omega} + \frac{1}{R_{\text{damp}}}$$

$$R_{\text{damp}} = 150\Omega$$

Loading considerations

The loading of a tuned circuit of the type described here is first calculated by changing the tap impedance to a function known as the equivalent loading resistance, derived from the equivalent circuit

The equivalent circuit



$$\text{Now } Q_L = R_p \parallel R_L \times X_c$$

$$\text{or } = \frac{R_p \parallel R_L}{X_c}$$

as you might expect, R_L is taken from a similar transformation formula to the ones used so far:

$$R_L = \left[\frac{N_1 + N_2}{N_1} \right]^2 \times \text{input impedance}$$

with the example below:

$$= \left[\frac{180}{74} \right]^2 \times 77\Omega$$

$$R_L = 294\Omega$$

$$\text{so } Q_L = 244 \parallel 294 \times X_c$$

$$244 \parallel 294 = 133.5\Omega$$

$$Q_L = \frac{133.5 \times 50}{244} = 27$$

but don't forget the loading by the secondary winding!

$$R_L = \left[\frac{180}{42} \right]^2 \times 12\Omega = 294\Omega$$

now this is the same as R_L for the autotransformer tap, indicating that the optimum R_p would be 294 Ω also.

$$\text{Now } Q_L = 244 \parallel 294 \parallel 294 \times X_c$$

$$Q_L = 21.7 \times 50 = 10.8 \times 10^3$$

Isn't far from the stated figure of 40.

So, to summarise the results:

$$Z = R_p = Q_L X_c = Q_L X_c$$

$$\frac{Z_{\text{tap}}}{Z_{\text{in}}} = \left[\frac{\text{Tap turns}}{\text{Total turns}} \right]^2$$

$$\text{Gain} = N_{\text{gm}} R_{\text{load}} \times \frac{\text{Tap turns}}{\text{Primary turns}} \times 50$$

The two "50" multipliers refer to the dB loss associated with impedance transformation. It will be seen from the loaded Q formulae, that under best matching conditions, when all equal load impedances are the same, the Q is reduced to a Q of 50 to 50. Since Q is directly related to V in a tuned circuit, this also implies the voltage is reduced by the 16:4 factor.

$$Q_L = R_p \parallel R_L \times X_c = R_p \parallel R_L \times X_c$$

$$\text{and } R_L = \left[\frac{\text{Total turns}}{\text{Tap turns}} \right]^2 \times \text{input imp}$$

$Z = R_L$ in this feature - not to be confused with basic DC resistance.

Bandspread calculations for RF tuned circuits may look horrendous – but as long as a reasonable scientific calculator is used, the answers involve little difficulty.

The basic reason for bandspread in HF and communications receivers is simple: consider a general coverage application (in SW) (160kHz to 30MHz), and now think about the degree of electromechanical stability that is demanded of such a system when trying to resolve an SSB signal, where the carrier needs to be reinserted to within 50Hz. 50Hz on the basis of a coverage of 16MHz represents about one part in three million. This is not an easy task to achieve in terms of mechanical stability and tuning resolution on a dial where they may be only five to ten turns coverage. So the answer is to use a fine tuning capacitor connected in parallel across the main tuning capacitor, but having a greatly reduced capacitance – say one twentieth of the value of the main tuning gang.

This approach is fine in many applications, but does not really solve the problem where long term electro-mechanical stability is essential. It merely facilitates the variable tuning by the operator.

So the next technique is the expansion of the band to absorb the whole range of the main tuning gang – say 300pF – over a relatively small RF span, as in the type of receiver that covers ‘amateur’ bands, or broadcast bands only. In this way 21 to 21.5MHz is made to take up all 300pF of the tuning gang swing instead of just a pF or two. This means that small changes in the tuning capacitor due to mechanical shock, heat etc., are greatly buffered in terms of the final frequency shift.

Example:

The tuned frequency of L/C parallel circuit is given by

$$f = \frac{1}{2\pi\sqrt{LC}}$$

Where f is in MHz
 L is in microhenrys
 and C is in pF

(Derived from $f = \frac{1}{2\pi\sqrt{LC}}$)

So, in the general coverage application, to reach 30MHz with a minimum tuning capacity of 30pF – to allow for strays, trimmers etc. – the inductance required is only 0.04uH (approximations will be used to avoid unnecessary decimal complications.)

so at 21.5MHz, a capacitor of 0.1pF is required, and at 21MHz, a value of 50pF in other words, a change of only 3pF covers 500kHz at 21MHz. It isn't difficult to see that the mechanical susceptibility of such a system is very poor.

So in the process of spreading the band, the end-user is to make all 300pF do the work of 3pF, and thus make all minor changes in C insignificantly small.

The basic considerations in bandspread calculations

In a tuned circuit arrangement that employs a variable capacitor for tuning (as nearly all outside car radios do), the frequency range covered is determined by the ratio of the maximum and minimum (including strays) capacity that appears across the inductance of the tuned circuit.

The required capacitance ratio, R ,

$$\log^2 = \frac{[\text{Max frequency}]}{[\text{Min frequency}]} \quad (A)$$

let V = capacitance ratio of the tuning capacitor

C_m = maximum value of tuning capacitance

C_p = total parallel capacitance across tuning cap.

C_s = capacitance used in series with tuning cap.

BW = tuning range

$$\text{and BW} = f - \frac{1}{\sqrt{LC_m C_p}} \quad (B)$$

Parallel capacitors



There are two basic approaches to the techniques of electrical bandspread – for a variety of reasons, the usual result is a combination of the two, since the impedance of the tuned circuit is very low with a high value of parallel capacity – and thus not suited to many oscillator applications – or very high with a large value of inductor, where the stray capacities inherent in PCBs and wiring limit the overall tuning range through a tight restriction on the factor ‘ V ’ (Capacitor ratio)

$$C_p = \frac{C_s(V-1)}{V(1-1)} \quad (C)$$

$$C_s = \frac{V(C_p - C_m)}{V C_p - C_v} \quad (D)$$

Now at the lowest frequency, the total tuning capacity is $C_s + C_p = C_p$

As an example, take an interpolation oscillator for tuneable IF of 10.0MHz to 10.5MHz

$$R = \frac{(10.5)^2}{(10.0)^2} = 1.10$$

Using a 56104 varicap over a range of 2 to 10v bias C min is 12.5pF, and C_{max} is 22.5pF so

$$V = \frac{22.5}{12.5} = 1.8$$

$$C_v = 22.5\text{pF}$$

substituting in (C)

$$C_p = \frac{22.5(1.8-1.0)}{1.8(1.0-1)} = 237.5\text{pF}$$

So, in order to leave room for strays, use 220pF fixed 5% with a 2-22pF trimmer.

The value of the inductor is then derived from the basic formula for the resonant frequency, where $f = 10.0$ and $C = 237.5 + 12.5 = 250\text{pF}$

$$\text{so } L = \frac{0.060\mu\text{H}}{0.96}$$

but this leaves an impedance of 0.9uΩ, but assume a Q of 100 and then $Z = 100 \times 0.96$ which is only 560 ohms, and not generally much use in this context.

Before moving on, the tuning bandwidth may be confirmed from equation (B)

$$\text{BW} = 0.2711\text{MHz (since approx. are used)}$$

So, the series capacitor method comes next:



This approach relies on the principle that a small capacitor placed in series with the C_v factor will reduce the effective parallel capacity across the tuned circuit to a value that is

$$\frac{1}{C_s} + \frac{1}{C_v}$$

Using the various factors already discussed

$$C_s = \frac{C_v(V-1)}{V-1} \quad (E)$$

Series C bandspread...

the capacitance ratio, R

$$R = \frac{VC_0 + C_0}{C_0 + C_0} \quad (F)$$

The total effective C across the tuned circuit is also derived from:

$$C_0 = \frac{C_0(R-1)}{V-1} \quad (G)$$

The example used will be based on the same problem as C₀

$$= \frac{22.5(1.04-1)}{1.8-1.04}$$

$$= 1.18\mu\text{F}$$

leading to L

$$= 201\mu\text{H}, \text{ and with a } Q \text{ of } 100$$

$$Z = 1.34 \text{ Mohm}$$

which is just about as unlikely as the result for basic parallel capacitors. The stability demands on the series capacitor are quite impossible to achieve - and no account of stray capacitance has been been made. So, to strike a useful medium, it is not surprising to find that a combination of the two methods is used.

The Series/parallel technique

The circuit may be analysed from a combination of the preceding formulae (5A) to (5I), using a mid-band value for the circuit impedance that is going to result in practical values and tolerances, or the following additional equations, which reduces the task to one of programming your calculator, and thinking of a few numbers:

C_{0a} = Total maximum capacitance
C_{0p} = Parallel capacitance
C_{0s} = Series capacitor
A = Intermediate capacitance ratio of the series arm of the network

and A is between the values of V and R

$$A = \frac{VC_0 + C_0}{C_0 + C_0} \quad (H)$$

$$C_{0p} = \frac{C_0(A-1)(A-R)}{A(R-1)(V-1)} \quad (I)$$

$$C_{0s} = \frac{RC_0(A-1)^2}{A(R-1)(V-1)} \quad (J)$$

$$\text{or } C_{0s} = C_{0p} \cdot \frac{RC_0(A-1)^2}{C_0(A-1)(A-R)} \quad (L)$$

The value of A is found by introducing a few more variables:

$$Q = 2RC_0 \quad \text{then}$$

$$C_0 = \frac{Q + C_{0p}(R-1)(V-1)}{R}$$

$$\text{and } A = \frac{C_0 + \frac{RC_0^2 - Q^2}{C_0}}{C_0} \quad (M)$$

which leads to

$$C_0 = \frac{C_0(A-1)}{V-A} \quad (N)$$

Now this technique is by far the most widely used in design and tracking of resonant circuits - and in the example used so far, where

$$R = \frac{(5.00)^2}{1.8} = 1.04$$

$$V = 1.8$$

$$C_0 = 22.5\mu\text{F}$$

$$C_{0a} = \text{choose a value that makes some practical sense here, say for } Z \text{ of } 10k \text{ ohms at } 10.0MHz = 150pF, \text{ which is quite manageable sort of choice, as the L is from } \frac{25530.3}{15070.0^2} = 1.0\mu\text{H}$$

the approx. value for A from (H)

$$C_0 = \frac{2.184 \cdot 22.5}{1.8-1.04} = 48.6$$

$$C_{0s} = 48.6 - 0.58(1.04-1)(1.8-1) = 51.8$$

$$A = 1.5000$$

$$\text{so } C_{0p} = \frac{22.5(1.5000-1)}{1.8-1.5000} = 54.73\mu\text{F}$$

The series capacitor is selected to be 55pF in this instance bearing in mind it is going to be a great deal more satisfactory to place any trimming C in parallel, where one side will be RF earth to permit adjustments without stray errors.

Plugging this back into (H)

$$A = \frac{0.8 \cdot 58 + 22.5}{58+22.5} = 1.57$$

$$C_{0p} = \frac{22.5(1.57-1)(1.57-1.04)}{1.57(1.04-1)(1.8-1)} = 125.3pF$$

$$(A-1)^2 = 0.325$$

$$\text{so } C_{0s} = \frac{1.8(22.5(0.325))}{1.57(1.04-1)(1.8-1)} = 151.37pF$$

which confirms the original conditions

To allow for a trimmer, the final choice should be:

C_{0s} = 55pF
C_{0p} = 100pF
C_{0a} = 0-60pF (in parallel with C_{0p})

remember that the distributed capacitance of the inductor will account for a few pF in C_{0p} section of the equations - but this is not appreciable until super wound LF coils are employed.

Alternative Parallel/series method

C_{0s} = series capacitance
C_{0a} = total maximum capacitance
C_{0p} = max C in parallel arm
B = intermediate cap. ratio in parallel arm only (again, between V and R)

$$B = \frac{VC_0 + C_{0p}}{C_0 + VC_0} \quad (O)$$

$$C_{0p} = \frac{RC_0(V-1)(B-1)}{VB-1(R-1)} \quad (P)$$

$$C_{0s} = \frac{RC_0(V-1)(B-1)}{VB-1(R-1)} \quad (Q)$$

As C_0 will be fixed, C_0 is solved using intermediate variables:

$$C_0 = 4\pi \cdot C_r \cdot \left[\frac{C_0(Y-1)}{Y-1} - C_r \right] \quad (8)$$

$$C_r = C_0(Y+1) + YC_0 \quad (9)$$

$$C_0 = \frac{\sqrt{C_0 + C_r^2} - C_r}{2Y} \quad (10)$$

It should be noted that all these various formulae are basically algebraic manipulations of the basic LC resonator equation—and so derivations are not given here for reasons of space!

For a change, the example used here will relate to something different—coverage of the MW with the KV1210 variable tripler. Reference to the data sheet of the KV1210 shows that, from 2 to 30 kHz, the capacity swing is from 400pF to 30pF typically (per diode)

$$\begin{aligned} V &= 400/30 = 13.33 \\ C_r &= 400pF \\ BW &= 1005/325 kHz \\ R &= 89\Omega = 9.28 \end{aligned}$$

So take $C_0 = 1000pF$ and insert in the formulae

$$C_0 = 4 \cdot 13 \cdot 400 \left[\frac{1000(13.33-1)}{13.33-1} - 400 \right] = 6.28 \times 10^7$$

$$C_r = 400(13+1) + 13(10000) = 136600$$

$$\text{so } C_0 + C_r^2 = 1.847 \times 10^{10}$$

$$\text{and } C_0 = \frac{1.36 \times 10^5}{2 \times 13} = 5230.3$$

as far as the RF sections of the MW are concerned, then C_0 is simply a 5.23kF trimmer, set halfway and trimmed to take up strays.

The inductance at a C_0 of 413pF and a frequency of 525kHz is then

$$= \frac{35300.3}{413 \cdot 0.525 \times 10^3} = 220\mu H$$

which should also occur at 1005kHz and 47pF

$$= \frac{35300.3}{47 \cdot 1.005 \times 10^3} = 217\mu H$$

(The slight error is due to use of 400pF without taking into account the effect of the 1000pF in series)

The final part of this series of bandpass and tracking details will appear in the next issue—it concerns the tracking of the local oscillator at (signal frequency + IF) and covers both parallel gangs (where both the antenna and oscillator sections of the tuning capacitors are the same) and non-parallel gangs eg 100+60 pF, as often found in imported MW only radio applications

In the next issue of Technology:

At the time of writing this, all consideration of the next issue seems the height of folly—after all, this issue has been delayed for a string of reasons, but primarily because we have been busier for the time of the year than we anticipated, and we want the whole production to be carried by Arctik staff who are acquainted with the products—and generally in the "think of things". We have not managed to get in all we wanted to—in additional supplements going to be produced on things such as

- The Radiometer Ferrit
- The PCB/Kalco pens
- Databooks
- Hardware including tuning pots etc
- Spaghetti farming in Tuscany

But in the next issue proper.....

All that's new and wonderful in radio ICs, we hope to include details of the first Europeanised frequency synthesiser for FM and AM, some improved DFM chips (and ways to remove their RFI problems), A full report on the new family of noise blankers, introduced for the first time in this issue with the KB4423.

Words and details of UHF converter techniques, with a TV preamp (available) with printed instructions. But since we aim to keep us up-to-the minute as possible, it is difficult to predict much more than that.

We would appreciate any contributions from our readers/subscribers. These will be assessed quickly, and payment will be made on acceptance. The features must naturally relate to modern techniques, and modern components with a main theme of radio—in based on products appearing in our catalogue/price list. We particularly invite articles on the following:

Switching ratios with the MA1012/MA1023
Use of the TDA1083 in communication type circuits.

The KB4423 as a second scratch blanker/IF noise blanker at IF frequencies.

A perpetual motion device that works.

PC:

We know about the wonder decoder announced in April 1988—the TDA4805A—and have given it a check. At present, we think it fine for car radio, but overall, the HA1196 is superior in all normal tuner applications. In fact, the HA1196 can be fitted with variable blend with a simple FE1 voltage dependent resistor in the separation circuit. A new IC from Hitachi with .02% stereo THD and 88dB S/N is likely to be our next decoder feature, when available. But all this is bit academic when you consider broadcast standards at the transmitter don't promise better than some 58dB S/N and we have heard of one BBC station broadcasting 2% THD, which was later reduced when they found out!

Trends seem to be towards Dolby broadcasting, and it is already being usefully employed in conjunction with certain BBC stations who we think are already testing. The BBC variable pre-emphasis technique also benefits from a Dolby approach to de-emphasis.

This issue is something of new concept of combining sales promotion with feature articles (original ones, that is) and so we would like to know what you think of it. The editorial on page 3 sets out our basic approach, namely this is a magazine for engineers, by engineers who can still remember which end of the soldering iron gets hot. Do you want more basic radio reference theory, cut out from transmission line principles that most humble wireless followers don't ever really use? Is it too boring? Has it been of any use? Should you buy another?

By using the term "engineers" we try to encompass both the professional, and of course the enthusiast, and since these are frequently the same creature—we don't really think a distinction in terms is necessary. There is certainly a distinction in terms of basic knowledge and experience, but since we know many hobby enthusiasts who know a whole lot more than many professionals, the choice of terms is difficult if one or other of our two main readerships is not to feel insulted. You're all really very wonderful.